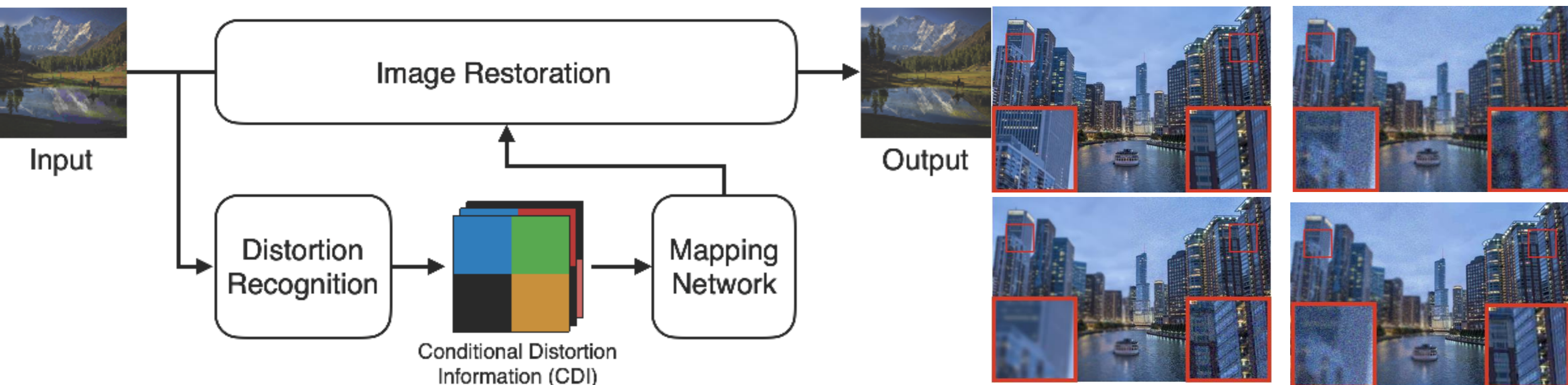


## Introduction



Overview of DIGNet

Comparison other multi-distortion

## Introduction

- Various types of corruption with unknown strength can be applied in real-world applications
- Previous multi-distortion datasets apply distortion to the entire image, or only a single distortion to each region
- We integrate the idea of two multi-distortion regimes
- To effectively restore the multi-degraded image, we propose a distortion information-guided network (**DIGNet**)

## Contribution

- A holistic multi-distortion dataset (**HMDD**) jointly implements the sequentially and spatially-applied corruptions
- In DIGNet, we extract conditional distortion information(**CDI**) that contains useful clues for reconstructing a corrupted image with spatially-variants multi-distortions
- For CDI, we compose two modules; Restoration & Recognition

## HMDD

### Holistic multi-distortion dataset(HMDD)

- Integrate sequential- and spatial- distortion
- Divide random chunks as  $I_{gt} \rightarrow \{I_{gt}^1, \dots, I_{gt}^k\}$
- Then, corrupt by distortions, widely used in image restoration literature, which are randomly selected parameters

$$D_b(\sigma_b) = \begin{cases} \text{Gaussian blur}(\sigma_b) & \text{if } p_b \geq 0.5 \\ \text{Identity} & \text{if } p_b < 0.5 \end{cases}$$

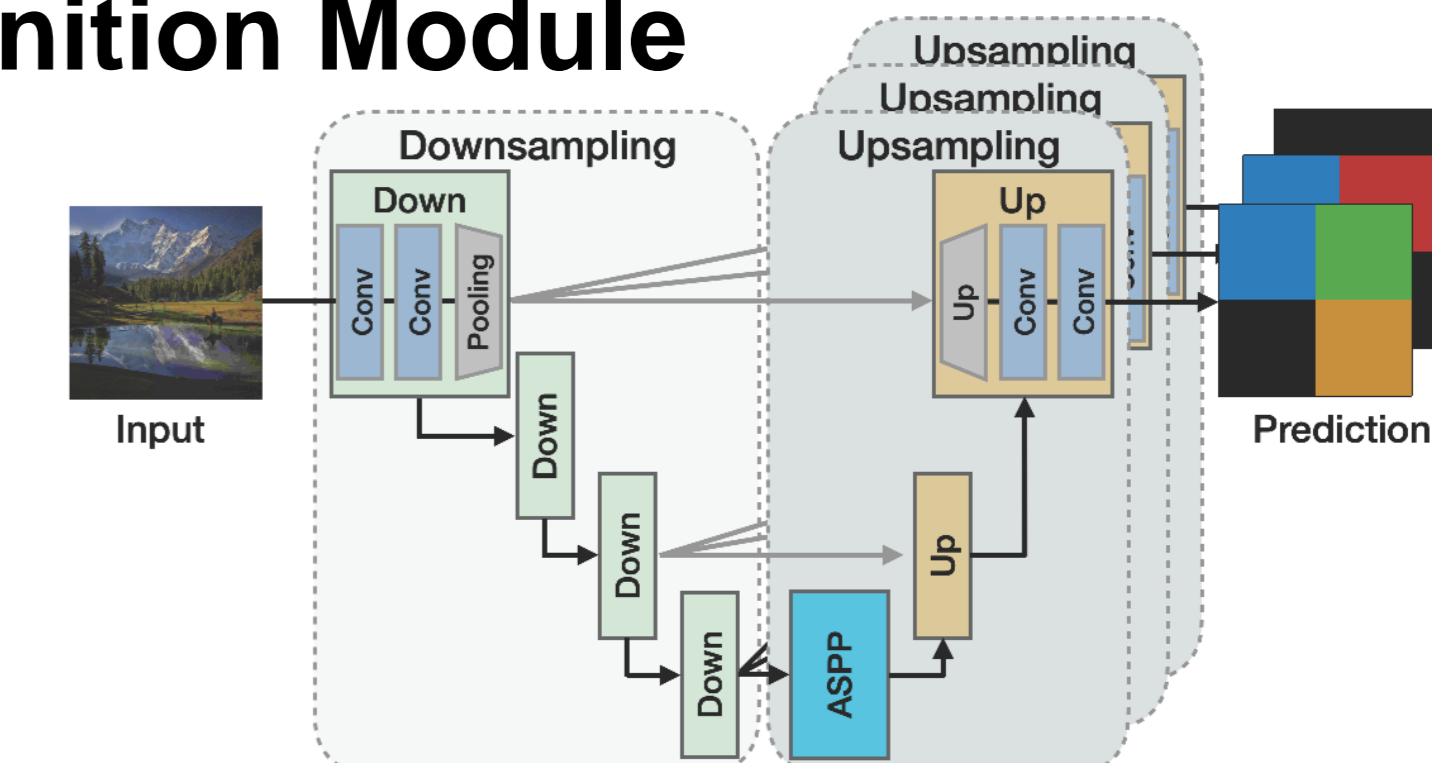
$$D_n(\sigma_n) = \begin{cases} \text{Gaussian noise}(\sigma_n) & \text{if } p_n \geq 0.5 \\ \text{Identity} & \text{if } p_n < 0.5 \end{cases}$$

$$D_j(q) = \begin{cases} \text{JPEG compression}(q) & \text{if } p_j \geq 0.5 \\ \text{Identity} & \text{if } p_j < 0.5 \end{cases}$$

$I_d^i = D^i(I_{gt}^i); D^i = D_j^i \circ D_n^i \circ D_b^i$   
 $I_d \leftarrow \{I_d^1, \dots, I_d^k\}$

## Method

### Recognition Module



- Train the recognition module in a supervised manner by pixel-MSE
- Distortion-wise decoder outputs the distortion-specific representations

### Restoration Module

- Mapping network  $F_{map}$  embeds to produce features  $f_{cdi}$  as follows:  $f_{cdi} = F_{map}(\hat{M})$
- Spatial feature transform(SFT) are used to convey the distortion information effectively
- The intermediate feature  $f_h \in R^{C \times W \times H}$  is,

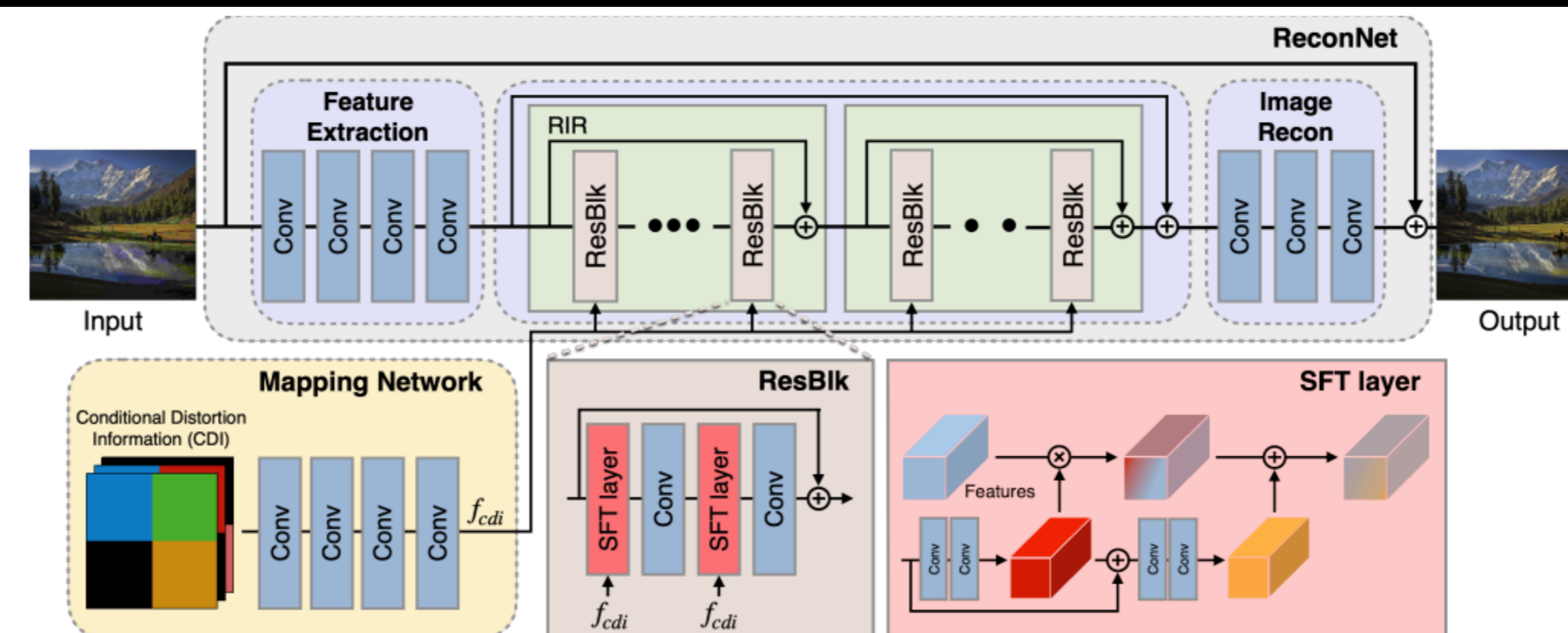
$$(\alpha, \beta) = t(f_{cdi}), \quad f_o = F_e(x)$$

$$SFT(f_h; \alpha, \beta) = \alpha \otimes f_h + \beta, \quad f_f = F_f(f_o; \alpha, \beta),$$

$$f_o = f_f + f_o,$$

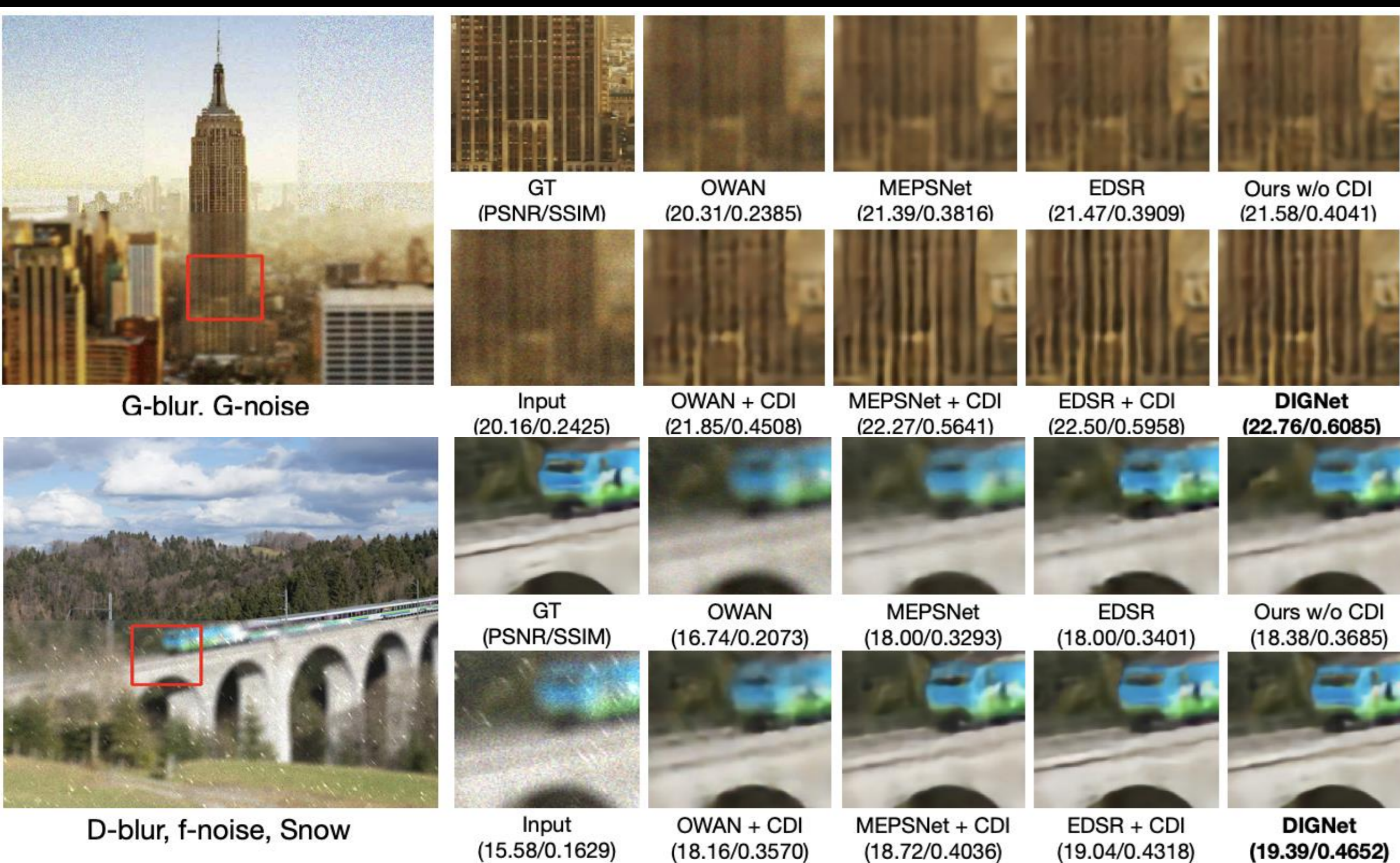
- With image reconstruction  $F_r$ , final output is,  $\hat{y} = F_r(f_o) + x$

## Method



Restoration Module

## Experimental Results



# Down.	# Up.	ASPP	Accuracy (HMDD)				→ DIGNet	
			G-blur	G-noise	JPEG	Pixel	PSNR	SSIM
2	2		60.76	79.22	87.39	44.59	26.60	0.7559
4	2		71.72	84.26	<b>94.24</b>	60.29	26.68	0.7594
4	2	✓	<b>79.12</b>	<b>87.93</b>	94.01	<b>64.49</b>	<b>26.74</b>	<b>0.7634</b>
4	4	✓	78.77	85.38	93.98	63.01	26.71	0.7628

HMDD-r	Accuracy
Snow	88.36
f-noise	97.40
D-blur	81.89
Pixel	67.49

- **Quantitative** :CDI utilization surpasses the other competitors on both dataset
- **Qualitative** : Our method produces the restoration capability regardless of the number of distortions and region

Method	HMDD		HMDD-r	
	PSNR	SSIM	PSNR	SSIM
OWAN [32]	23.52	0.5948	22.25	0.5694
+ CDI	25.96	0.7323	27.13	0.7885
MEPSNet [21]	25.77	0.7257	26.08	0.7757
+ CDI	26.60	0.7606	28.43	0.8270
EDSR [25]	26.25	0.7461	26.70	0.7795
+ CDI	26.63	0.7622	28.56	0.8401
Ours w/o CDI	26.52	0.7528	27.91	0.8177
<b>+ CDI (DIGNet)</b>	<b>26.74</b>	<b>0.7634</b>	<b>28.70</b>	<b>0.8560</b>